

Information Systems Analysis

Temporal Logic and Timed Automata

(8)

System model verification in NuSMV

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System modelling

- Indirect modelling
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- FAIRNESS constraints
 - Nondeterminism

System modelling

Indirect modelling

```
MODULE main

VAR    a : boolean;
       b : 0..4;

ASSIGN  init(a) := TRUE;
         next(a) := !a;
         init(b) := {0,2,4};
         next(b) := case
           next(a) : {0,2,4};
           !next(a) : {1,3};
         esac;

CTLSPEC AG(a -> b in {0,2,4})
INVARSPEC (!a -> b in {1,3})
```

Direct modelling

```
MODULE main

VAR    a : boolean;
       b : 0..4;

INIT   a = TRUE &
         b in {0,2,4};
TRANS next(a) = !a;
TRANS next(b) in case
         next(a) : {0,2,4};
         !next(a) : {1,3};
       esac;

CTLSPEC AG(a -> b in {0,2,4})
INVARSPEC (!a -> b in {1,3})
```

System modelling

Indirect modelling

- Behaviour of an automaton is defined by specifying initial and next values of state variables.
- Example:

```
ASSIGN  init(a) := TRUE;
        next(a) := !a;
        init(b) := {0, 2, 4};
        next(b) := case
            next(a) : {0, 2, 4};
            !next(a) : {1, 3};
        esac;
```

- Operator `init` defines the initial value of a variable.
- Operator `next` defines the value of a variable in the next state.

System modelling

Indirect modelling

- If the initial value of a variable is not given, it will get any value from its range of values.
(There exists at least 1 initial state.)
- If the next value of a variable is not given, it will get any value from its range of values.
(There exists at least 1 next state for every state.)

Remark

- Every model defined indirectly can be defined directly.
- Not every model defined directly can be defined indirectly.

System modelling

Direct modelling

- Behaviour of an automaton is defined by logic expressions.
- Logic expressions express:
 - initial states,
 - reachable states,
 - transitions between states.
- Results of lack of expressions or of their mutual contradiction:
 - an empty set of initial states,
 - unreachable states,
 - lack of reachable states.

System modelling

Direct modelling

- Specification of initial values of variables:

```
INIT logic_expression
```

- The expression given after `INIT` describes initial values of variables.
- Example of specification of values of variables `a` and `b`:

```
INIT a = TRUE &  
      b in {0,2,4}
```

- If the initial value of a variable is not given, it will get any value from its range of values.
- If an untrue expression is given, then there are no initial states (model verification may be incorrect).
- Using the operator `next` is not allowed.

System modelling

Direct modelling

- Specification of reachable states by state invariants:

```
INVAR logic_expression
```

- The expression given after `INVAR` describes the values of variables, that characterise every state.
- Example of specification of values of variables `a` and `b`:

```
INVAR a=TRUE | a=FALSE
```

```
INVAR !a -> b in {1,3}
```

- If an untrue expression is given, then there are no reachable states (model verification may be incorrect).
- Invariant definitions are not mandatory.
- Using the operator `next` is not allowed.

System modelling

Direct modelling

- Specification of allowed transitions between states:

```
TRANS logic_expression
```

- The expression given after TRANS describes allowed values of variables in the next state.
- Example of specification of next values of variables a and b:

```
TRANS next (a) = !a;  
TRANS next (b) in case  
    next (a) : {0, 2, 4};  
    !next (a) : {1, 3};  
esac;
```

- If an untrue expression is given, then there may be no next state (model verification may be incorrect).

System modelling

Direct modelling

- **INVAR or INIT combined with TRANS?**
 - **1st way** – invariantly $a = 1$:
INVAR $a=1$
 - **2nd way** – in the initial and every following state $a = 1$:
INIT $a=1$
TRANS $\text{next}(a)=1$
 - The effect seems to be the same, but the 1st way is more effective.
 - In this situation it is recommended to use an invariant.

System modelling

FAIRNESS constraints

- Constraint `JUSTICE expression`
 - Alternatively: `FAIRNESS expression`
 - Model verification consists of these paths only, where the *expression* is true infinitely many times, e.g.:

```
VAR  a : boolean;  
JUSTICE !a
```
 - It corresponds to the formula $AG(AF(\neg(a)))$.
 - Using the operator `next` in the *expression* is not allowed.

System modelling

FAIRNESS constraints

- Constraint `COMPASSION (expression1, expression2)`
 - Model verification consists of these paths only, where:
 - if the *expression1* is true infinitely many times,
 - then the *expression2* is also true infinitely many times on the same paths, e.g.:

```
VAR  a : boolean;  
      b : boolean;  
COMPASSION (!a, !b)
```

- It corresponds to the formula $AG(AG(AF(\neg(a))) \Rightarrow AG(AF(\neg(b))))$.
- Using the operator `next` in the *expressions* is not allowed.
- NuSMV does not fully support the `COMPASSION` yet.

System modelling

Nondeterminism

- Definition of a variable requires to give a set of its values, e.g.:

```
VAR
  a : 0..10;
  b : {s1, s2, s3};
```

- If no instruction assigns any value to a variable, then the variable gets a random value of the range of its values.
- If an instruction assigns a subset of a variable's set of values to the variable, then the variable gets a random value of this subset, e.g.:

```
b := {s1, s3}
```

Mistakes in system modelling

- Different definitions of a variable
- Recursive definition of a variable
- Mutual dependency of variables
- Contradictions in expressions INIT, INVAR and TRANS

Mistakes in system modelling

Different definitions of a variable

- Every variable should have one definition only, that defines its value for a given state:
 - wrong: `init(a) := TRUE;`
`init(a) := FALSE;`
 - wrong: `b := a;`
`b := a+1;`
 - wrong: `init(c) := a;`
`c := b;`
 - good: `init(a) := {TRUE, FALSE};`

Mistakes in system modelling

Recursive definition of a variable

- Value of a variable cannot depend on its value from the same state:
 - wrong: `a := a+1;`
 - wrong: `next(a) := next(a)+1;`
- But it may depend on its value from the next state:
 - good: `next(a) := a+1;`

Mistakes in system modelling

Mutual dependency of variables

- Values of variables in the same state cannot be mutually dependent:
 - wrong:

```
a := b+1;  
b := a-1;
```
 - wrong:

```
next(a) := next(b);  
next(b) := next(a);
```
- But values of variables in different states may be mutually dependent:
 - good:

```
next(a) := b;  
next(b) := a;
```
 - good:

```
next(a) := next(b);  
next(b) := a;
```

Mistakes in system modelling

Contradictions in expressions `INIT`, `INVVAR` and `TRANS`

- If an untrue expression `INIT` is given, then there are no initial states.
- If an untrue expression `INVVAR` is given, then there are no reachable states.
- If an untrue expression `TRANS` is given, then there may not be a next state.

- These mistakes are reported by NuSMV.
- These mistakes may lead to an incorrect model verification.

System verification

- Possibilities
 - Property kinds to verify
- Counting a minimal and maximal path of states

System verification

Possibilities

- Verification is automatic.
- Specification of a system is given by temporal logic formulas.
- Available logics: LTL, CTL, LTL⁻, RTCTL (with upper and lower bounds for temporal operators) and PSL.
- All well-formed formulas are allowed.
- Every formulas is verified independently of the others.
- Verification of a formula returns *true* or *false*.
- The *false* result is returned with a counterexample (a path of states), if it can be generated.
- Length of minimal and maximal path between two determined states can be counted.

System verification

Property kinds to verify

- Properties described in LTL logic (dealing with linear time):

`LTLSPEC LTL_formula`

- Properties described in CTL logic (dealing with branching time):

`CTLSPEC CTL_formula`

- Properties described in logics LTL⁻, PSL, RTCTL.

- Invariants (dealing with every state of the model):

`INVARSPEC logic_expression`

System verification

Counting a minimal and maximal path of states

- Expression `COMPUTE` counts length of a path (number of states) between two specified states.
- Specification of a state is a logic expression expressing values of selected state variables in this state.
- Counting the minimal path:

```
COMPUTE MIN[state1, state2]
```
- Counting the maximal path:

```
COMPUTE MAX[state1, state2]
```
- The result is a number of states or `INFINITY`.

Examples

- Departure of a plane (clock and time of events)
- Function with a for loop (analysis of a program's code)

Examples

Departure of a plane (clock and time of events)

- **Description of the situation**
 - A runway intersects a taxiway.
 - An aircraft begins moving before the intersection, accelerating.
 - The aircraft, accelerating, reaches the V_1 velocity (in 6..8 seconds), and then takes off (in 1..3 seconds).
 - The take-off of the aircraft may happen before, on or after the intersection.
 - An intruder may appear on the intersection at any moment.
 - The intruder, when appears on the intersection, does not disappear from it.
 - If the aircraft accelerates before or on the intersection, where the intruder appears, it decelerate, if its velocity $< V_1$.
 - Decelerating aircraft stops (in 3..4 seconds) before, on, or after the intersection.
 - If the aircraft and the intruder are on the intersection, a collision may happen.
 - Final states: the aircraft takes off, the aircraft stands, there is a collision.

Examples

Departure of a plane (clock and time of events)

```
MODULE main
```

```
VAR
```

```
--location of the aircraft
```

```
--in relation to the intersection
```

```
location : {before, on, after};
```

```
--kind of a movement of the aircraft
```

```
movement: {accelerating, decelerating, standing, taking_off};
```

```
--clock for time of the movement (reset to zero at the moment  
--of the beginning of a new movement kind)
```

```
t : 0..9;
```

```
--intruder on the intersection
```

```
intruder : boolean;
```

```
--collision with the intruder
```

```
collision : boolean;
```

```
--aircraft's velocity  $\geq$  v1 (deceleration is forbidden)
```

```
v1 : boolean;
```

Examples

Departure of a plane (clock and time of events)

```
--INITIAL STATE
```

```
INIT
```

```
--the aircraft is before the intersection
```

```
location = before &
```

```
--the aircraft is accelerating
```

```
movement = accelerating &
```

```
--the time of acceleration begins
```

```
t = 0 &
```

```
--there is no intruder on the intersection
```

```
intruder = FALSE &
```

```
--there is no collision
```

```
collision = FALSE &
```

```
--the aircraft's velocity < v1
```

```
v1 = FALSE
```

Examples

Departure of a plane (clock and time of events)

```
--BEHAVIOUR OF THE CLOCK t
```

```
TRANS next(t) in case
```

```
--resetting the clock when taking-off begins
```

```
movement = accelerating & next(movement) = taking_off : 0;
```

```
--resetting the clock when decelerating begins
```

```
movement = accelerating & next(movement) = decelerating : 0;
```

```
--resetting the clock when standing begins
```

```
movement = decelerating & next(movement) = standing : 0;
```

```
--in other case, with any automaton state change,
```

```
--one second passes
```

```
TRUE : (t + 1) mod 10; esac;
```

Examples

Departure of a plane (clock and time of events)

```
--BEHAVIOUR OF THE INTRUDER
```

```
TRANS next(intruder) in case
```

```
--the intruder may appear at any moment
```

```
!intruder : {FALSE,TRUE};
```

```
--the intruder cannot disappear from the intersection,
```

```
--if it already is there
```

```
TRUE : intruder; esac;
```

Examples

Departure of a plane (clock and time of events)

```
--BEHAVIOUR OF THE v1 VELOCITY
```

```
TRANS next(v1) in case
```

```
--the v1 cannot be reached in the time  $t < 6$ 
```

```
!v1 & movement = accelerating & next(t)<6 : FALSE;
```

```
--the v1 may be reached in the time  $t < 8$ 
```

```
!v1 & movement = accelerating & next(t)<8 : {TRUE,FALSE};
```

```
--the v1 is reached at most in the time  $t = 8$ 
```

```
!v1 & movement = accelerating & next(t)=8 : TRUE;
```

```
--once reached, the v1 velocity does not get smaller
```

```
TRUE : v1; esac;
```

Examples

Departure of a plane (clock and time of events)

```
--BEHAVIOUR OF THE COLLISION
```

```
--the collision is impossible, if there is no intruder  
--or the aircraft is before the intersection
```

```
INVAR !intruder | location = before -> !collision;
```

```
TRANS next(collision) in case
```

```
  --if there is the collision, it will not pass away
```

```
  collision : TRUE;
```

```
  --if there is no collision, it is possible then,
```

```
  --if the intruder and the aircraft are on the intersection
```

```
  intruder & location = on : {FALSE, TRUE};
```

```
  --other states do not affect the collision
```

```
  TRUE : collision; esac;
```

Examples

Departure of a plane (clock and time of events)

```
--BEHAVIOUR OF THE LOCATION OF THE AIRCRAFT
```

```
TRANS next(location) in case
```

```
--the standing or taking-off aircraft does not change
```

```
--its location (final state)
```

```
movement = standing | movement = taking_off : location;
```

```
--the aircraft being before the intersection may enter it
```

```
location = before : {before, on};
```

```
--the aircraft being on the intersection may leave it
```

```
location = on : {on, after};
```

```
--the aircraft being after the intersection does not change
```

```
--its location
```

```
location = after: after; esac;
```


Examples

Departure of a plane (clock and time of events)

```
--BEHAVIOUR OF THE MOVEMENT OF THE AIRCRAFT (2)

-- ...
--the aircraft accelerating with the velocity < v1
--still accelerates, if there is no intruder
movement = accelerating & !v1 & !intruder : accelerating;
--the aircraft accelerating with the velocity < v1
--decelerates, if there is the intruder on the intersection
movement = accelerating & !v1 & intruder : decelerating;
```

Examples

Departure of a plane (clock and time of events)

```
--BEHAVIOUR OF THE MOVEMENT OF THE AIRCRAFT (3)

-- ...
--the decelerating aircraft cannot stop in the time  $t < 3$ 
movement = decelerating & next(t) < 3 : decelerating;
--the decelerating aircraft may stop in the time  $t < 4$ 
movement = decelerating & next(t) < 4 :
                                {decelerating, standing};
--the decelerating aircraft will stop at last in the time  $t=4$ 
movement = decelerating & next(t) = 4 : standing;
--the standing or taking off aircraft does not change
--its kind of movement
movement = standing | movement = taking_off : movement;
--other states do not affect the movement
TRUE : movement; esac;
```


Examples

Departure of a plane (clock and time of events)

- Verification of behaviour of the velocity V1:

```
--Accelerating aircraft reaches the v1 velocity  
--in 6..8 seconds
```

```
CTLSPEC EF(!v1 & movement=accelerating -> EX v1)  
CTLSPEC AG(!v1 & movement=accelerating & AX t=8 -> AX v1)  
CTLSPEC AG(!v1 & movement=accelerating & AX t<6 -> AX !v1)  
CTLSPEC AG(!v1 & movement=accelerating & AX t>=6 & AX t<8  
-> EX !v1) --correct  
CTLSPEC AG(!v1 & movement=accelerating & AX t>=6 & AX t<8  
-> AX !v1) --incorrect
```

Examples

Function with a for loop (analysis of a program's code)

- The function calculates the sum of numbers from 0 to x:

```
int sum(int x) {  
    int s = 0; //sum of numbers  
    for(int i = 0; i <= x; i++)  
        s = s + i;  
    return s;}  

```

- The goal – analyse the for loop, e.g.:
 - find the maximal number of the loop execution,
 - check reachability of s=21 for x=6.

Examples

Function with a for loop (analysis of a program's code)

- Labels of executed operations:

```
int sum(int x){
  int s = 0; //sum of numbers      e0 (this can be omitted)
  for(int i = 0; i <= x; i++)     e1
    s = s + i;                    e2
  return s;}                      e3
```

- Model of the operations:

```
MODULE main
FROZENVAR x : 0..6;    --constant x of random value of 0 to 6
VAR e : {e1, e2, e3}; --labels of operations
  s : 0..21;           --sum of numbers
  i : 0..7;            --iterator of the loop
  c : 0..6;            --counter of loop executions
  a : 1..3;            --flag of reachability of deadlock
```

Examples

Function with a for loop (analysis of a program's code)

```
int sum(int x){
  int s = 0; //sum of numbers
  for(int i = 0; i <= x; i++)      e1
    s = s + i;                    e2
  return s;}                       e3
```

- Model of the operations:

ASSIGN

--navigation of operations:

init(e) := e1; --beginning in e1

next(e) := case

e = e1 & i <= x : e2; --transition to e2 from e1 if i<=x
--(to perform the first operation from the for block)

e = e1 & i > x : e3; --transition to e3 from e1 if i>x
--(not to perform operations from the for block)

e = e2 : e1; --return to e1 from e2
--(the last operation from the for block is done)

e = e3 : e3; esac; --no entry from e3 (the end of program)

Examples

Function with a for loop (analysis of a program's code)

```
int sum(int x){
  int s = 0; //sum of numbers
  for(int i = 0; i <= x; i++)      e1
    s = s + i;                      e2
  return s;}                       e3
```

- Model of the operations:

ASSIGN

--variability of s:

```
init(s) := 0;           --initially s=0
next(s) := case
  s + i > 21 : s;       --no change of s
                        --(not to exceed its range)
  next(e) = e2 : s + i; --i is added to s (in operation e2)
  TRUE : s; esac;     --no change of s
                        --(in other cases)
```

Examples

Function with a for loop (analysis of a program's code)

```
int sum(int x){
  int s = 0; //sum of numbers
  for(int i = 0; i <= x; i++)      e1
    s = s + i;                     e2
  return s;}                       e3
```

- Model of the operations:

ASSIGN

--variability of i:

```
init(i) := 0;           --initially i=0
next(i) := case
  i + 1 > 7 : i;       --no change of i
                        --(not to exceed its range)
  next(e) = e1 : i + 1; --incrementation of i
                        --(in operation e1, i.e. after e2)
  TRUE : i; esac;    --no change of i
                        --(in other cases)
```

Examples

Function with a for loop (analysis of a program's code)

```
int sum(int x){
  int s = 0; //sum of numbers
  for(int i = 0; i <= x; i++)      e1
    s = s + i;                    e2
  return s;}                      e3
```

- Model of the operations:

ASSIGN

--variability of c:

```
init(c) := 0;           --initially c=0
next(c) := case
  c + 1 > 6 : c;       --no change of c
                       --(not to exceed its range)
  next(e) = e2 : c + 1; --incrementation of c
                       --(in operation e2, i.e. for block)
TRUE : c; esac;      --no change of c
                       --(in other cases)
```

Examples

Function with a for loop (analysis of a program's code)

```
int sum(int x){
  int s = 0; //sum of numbers
  for(int i = 0; i <= x; i++)      e1
    s = s + i;                    e2
  return s;}                      e3
```

- Model of the operations:

ASSIGN

--variability of a:

init(a) := 1; --initially a=1 (there will be a next state)

next(a) := case

a = 1 & e = next(e) & s = next(s) & i = next(i) & c = next(c) : 2;
--a is set to 2

--(if there is no change of state for the 1st time)

a = 2 : 3; --a is set to 3

--(so 2 be in one state only)

TRUE : a; esac; --no change of a

--(in other cases)

Examples

Function with a for loop (analysis of a program's code)

```
int sum(int x) {  
  int s = 0; //sum of numbers  
  for(int i = 0; i <= x; i++)      e1  
    s = s + i;                      e2  
  return s; }                       e3
```

- Verification of the model:
 - Does the flag *a* work correctly?

```
CTLSPEC AF (a=2 & AX (AG (a=3)))    true
```

Examples

Function with a for loop (analysis of a program's code)

```
int sum(int x) {  
  int s = 0; //sum of numbers  
  for(int i = 0; i <= x; i++)      e1  
    s = s + i;                      e2  
  return s; }                      e3
```

- Code analysis:

- What is the maximal length of the path of states to the final state?

COMPUTE MAX[a=1, a=2] **16**

- What is the maximal number of the *for* loop execution?
 - generate a maximal length path,
 - check the final value of the *c* counter on the path.

CTLSPEC !EBF 16..16 (a=2) **false** **c = 6**

```
-> State: 5.12 <-  
  e = e2  
  s = 15  
  c = 6  
-> State: 5.13 <-  
  e = e1  
  i = 6  
-> State: 5.14 <-  
  e = e2  
  s = 21  
-> State: 5.15 <-  
  e = e1  
  i = 7  
-> State: 5.16 <-  
  e = e3  
-> State: 5.17 <-  
  a = 2
```

Examples

Function with a for loop (analysis of a program's code)

```
int sum(int x) {  
  int s = 0; //sum of numbers  
  for(int i = 0; i <= x; i++)      e1  
    s = s + i;                      e2  
  return s; }                      e3
```

- Code analysis:
 - Can the *for* loop be executed 6 times?

CTLSPEC EF (c=6) **false**

CTLSPEC !EF (c=6) **false** **How is it possible?**

- Is the sum $s = 21$ reachable?

CTLSPEC EF (s=21) **false**

CTLSPEC !EF (s=21) **false** **How is it possible?**

Examples

Function with a for loop (analysis of a program's code)

```
int sum(int x) {  
    int s = 0; //sum of numbers  
    for(int i = 0; i <= x; i++)      e1  
        s = s + i;                    e2  
    return s; }                      e3
```

- Code analysis:
 - If there is more than 1 initial state, then reachability checking for a given state by the formula $EF(\text{state_to_check})$ will return *false*, if this state is not reachable from every initial state, even so if it is reachable from some initial state.
 - solution 1: choose an initial state:
 $\text{initial_state} \rightarrow EF(\text{state_to_check})$
 - solution 2: check non-reachability of the state:
 $!EF(\text{state_to_check})$

Examples

Function with a for loop (analysis of a program's code)

```
int sum(int x) {  
  int s = 0; //sum of numbers  
  for(int i = 0; i <= x; i++)      e1  
    s = s + i;                      e2  
  return s; }                       e3
```

- Code analysis:

- Is the sum $s = 21$ reachable?

```
CTLSPEC x=6 -> EF(s=21)      true  
CTLSPEC !EF(s=21)           false
```

- Will the sum $s = 21$ be reached?

```
CTLSPEC x=6 -> AF(s=21)      true
```

Interactive work

- Initial operations
- Model verification
- Model simulation
- Restart and end of work
- Executions of a script with operations
- Description of operations performed by NuSMV

Interactive work

Initial operations

- Start working with a .smv file in the interactive mode:

```
NuSMV -int file
```

- Read the model of a system:

```
read_model
```

- Create modules and processes:

```
flatten_hierarchy
```

- Show a list of input variables and state variables:
(optional)

```
show_vars
```

Interactive work

Initial operations

- Show variables that are dependent on a given expression:
(optional)

```
show_dependencies -e expression
```

- Create variables to compile the model into BDD (binary decision diagrams):

```
encode_variables
```

- Write the order of variables to a file:
(optional)

```
write_order
```

- Compile the model into BDD:

```
build_model
```

Interactive work

Initial operations

- Initialise the system ready to be verified:

```
go
```

- Read and compile the model into BDD, verify the model and count a set of reachable states:

```
process_model
```

- Count a set of reachable states:

```
compute_reachable
```

- Show reachable states:
(optional)

```
print_reachable_states -v
```

Interactive work

Model verification

- Show all properties:

```
show_property
```

- Add a property of a given kind to the verification:

```
add_property -kind -p "formula"
```

- Add the property to verification in the context of a given module:

```
add_property -kind -p "formula IN module"
```

Kind: *c* (CTL formula), *l* (LTL formula), *s* (PSL formula), *i* (invariant),
q (counting a path).

Interactive work

Model verification

- Verify a CTL formula of a given number:

```
check_ctlspec -n number
```

- Verify a given CTL formula:

```
check_ctlspec -p "formula"
```

- Verify a given CTL formula in the context of a given module:

```
check_ctlspec -p "formula IN module"
```

Similarly for LTL specification: `check_ltlspec`

Interactive work

Model verification

- Check possibility of a deadlock of the system:

```
check_fsm
```

- Count length of a path between given states (for a given number of an expression):

```
check_compute -n number
```

- Count length of the minimal path between given states:

```
check_compute -p "MIN[state1, state2]"
```

- Count length of the maximal path between given states in the context of a given module:

```
check_compute -p "MAX[state1, state2] IN module"
```

Interactive work

Model verification

- Verify an invariant of a given number:

```
check_invar -n number
```

- Verify a given invariant:

```
check_invar -p "invariant"
```

- Verify a given invariant in the context of a given module:

```
check_invar -p "invariant IN module"
```

Interactive work

Model simulation

- Choose randomly an initial state:

```
pick_state -r
```

- Choose an initial state from the list of available states:

```
pick_state -i
```

- Choose an initial state from a restricted list of available states
– the states that satisfy a given expression:

```
pick_state -i -c "expression"
```

Interactive work

Model simulation

- Make a simulation from a chosen state:

```
simulate [-p|-v] [-r|-i] [-k number_of_states]
```

- show changed state variables: `-p`
- show all state variables: `-v`
- randomly choose from available states: `-r`
- manually choose from available states: `-i`
- give length of path of states (e.g. 4): `-k 4`

(The simulation consists of 10–state paths by default.)

- examples:

```
simulate -p -r -k 5  
simulate -v -i
```

Interactive work

Model simulation

Analysis of a chosen path of states:

- Paths of states are created in result of a negative verification of a formula, and in result of a simulation.
- Show generated paths:
 - all: `show_traces -v -a`
 - a chosen one: `show_traces -v path_number`
 - a chosen one with states (from – to):
`show_traces -v
path_number.from_state_number:to_state_number`
- Show a number of generated paths:
`show_traces -t`

Interactive work

Model simulation

Analysis of a chosen path of states:

- Go to a chosen state of a chosen path:

```
goto_state path_number.state_number
```

- Show description of the current state of the current path:

```
print_current_state -v
```

Interactive work

Restart and end of work

- Restart of work (reset of adjustments):

`reset`

- End of work (reset of adjustments):

`quit`

Interactive work

Executions of a script with operations

- Automatically make a given sequence of operations from a file:

```
NuSMV -source file
```

- If an error occurs, further operations cannot be executed.

Description of operations performed by NuSMV

- Set verbosity of performed operations:

```
NuSMV -v N -int file
```

(N – level of verbosity: from 0 (nothing) to 4)

The end

Literature:

- K.L. McMillan, „The SMV system”, 2001
- A. Cimatti et al. „NuSMV – a new symbolic model checker”
- R. Cavada et al. „NuSMV 2.5 User Manual”, 2010
- R. Cavada et al. „NuSMV 2.5 Tutorial”